

**ADVANCED STRUCTURAL ANALYSIS**  
**(CE 511)**

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**Instructor** : Dr. Radwan S. Al-Juruf  
**Office No.** : 16-136  
**Office Phone** : 2559  
**Office Hours** : To be announced in class  
**Text Book** : No text is required.  
Instructor will give handouts.

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<u>No. of Lectures</u>	<u>TOPICS</u>
1	Introduction to the Course
1	Concepts of Indeterminacy
3	Seminars (presented by students)
3	The Flexibility Method of Analysis
11	The Stiffness Method of Analysis: <ul style="list-style-type: none"><li>- Planar Orthogonal Frames &amp; Continuous Beams</li><li>- Planar Non-Orthogonal Frames</li><li>- Three-Dimensional Structures</li></ul>
6	Stability of Planar Structures
2	Energy Methods
2	Introduction to Structural Dynamics
1	Introduction to the Finite Element Method

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**Course Requirements & Grading:**

Homework	-----	30%
Seminars	-----	10%
Project	-----	20%
Midterm Exam	-----	20%
Final Exam	-----	20%

King Fahd University of Petroleum & Minerals  
DEPARTMENT OF CIVIL ENGINEERING

**Advanced Structural Analysis**  
**(CE 511)**

Student's Name: \_\_\_\_\_

Student's No. \_\_\_\_\_

Homework No. \_\_\_\_\_

Grade: \_\_\_\_\_

Instructor: Dr. Radwan S. Al-Juruf

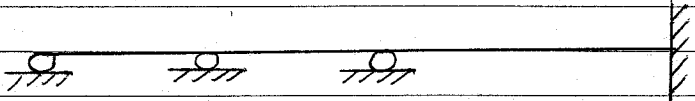
Note: No late HOMEWORK will be accepted.

# CE 511

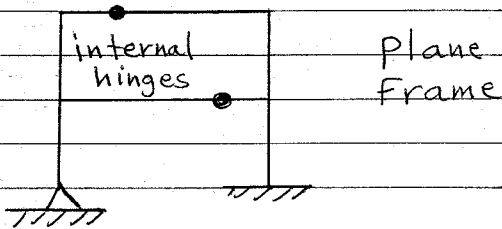
## HW # 1

Determine the degree of static indeterminacy and the degree of kinematic indeterminacy for the structures shown:

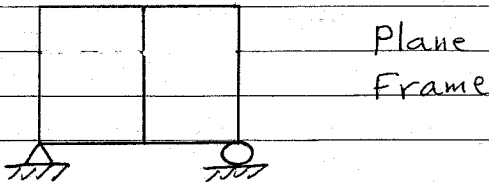
①



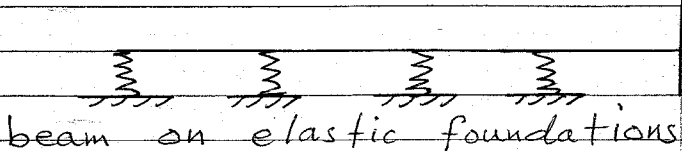
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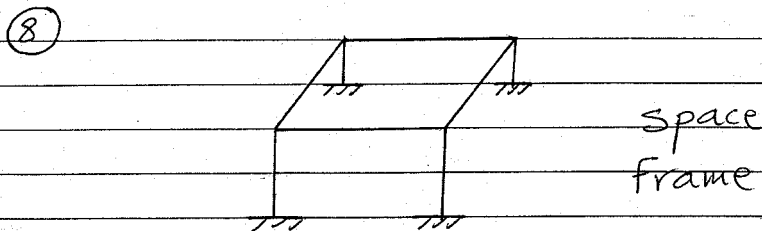
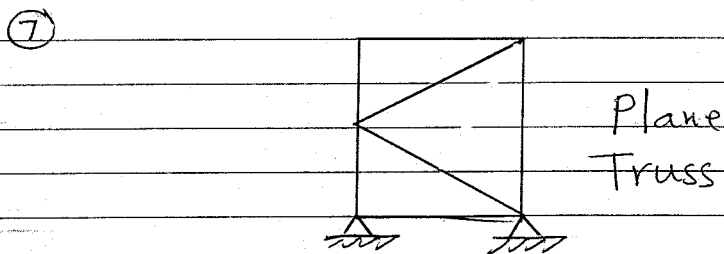
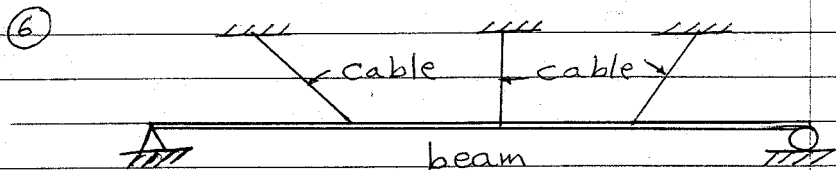
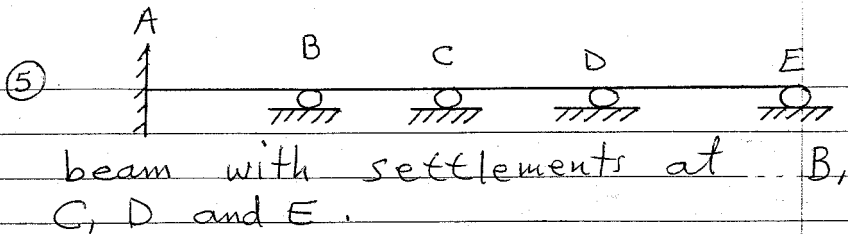


③

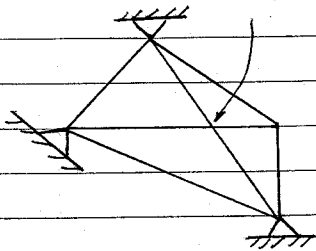


④



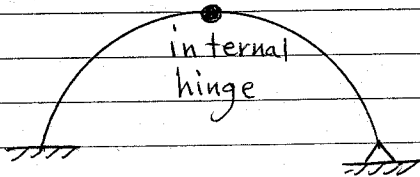


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Space  
Truss

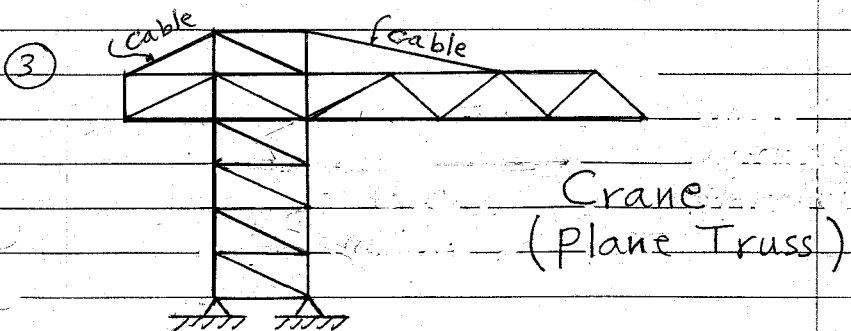
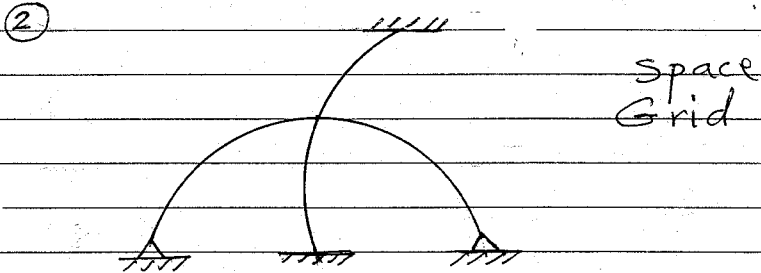
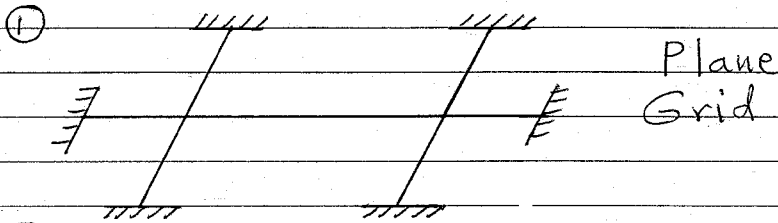
10



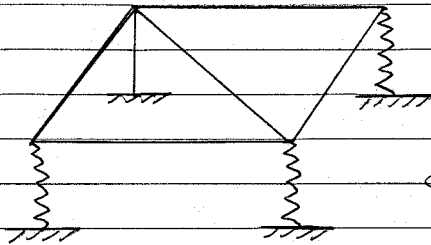
arch

## HW #2

State the degree of static indeterminacy and the degree of kinematic indeterminacy for the structures shown:

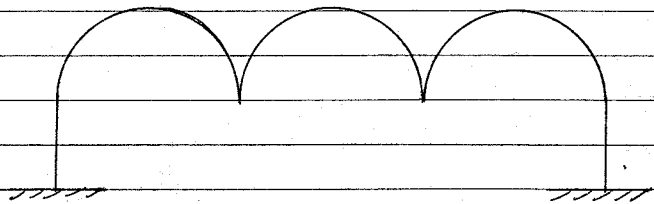


4



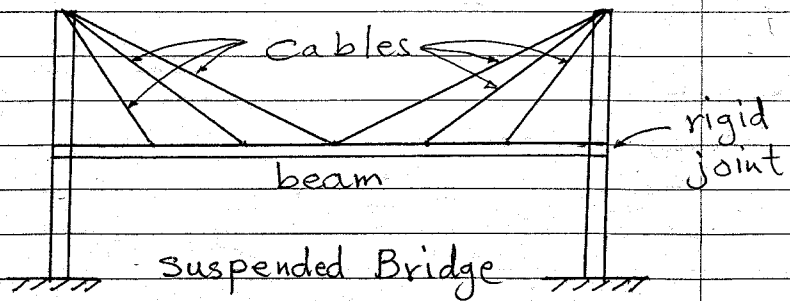
Space Frame  
on Elastic  
Foundations

5



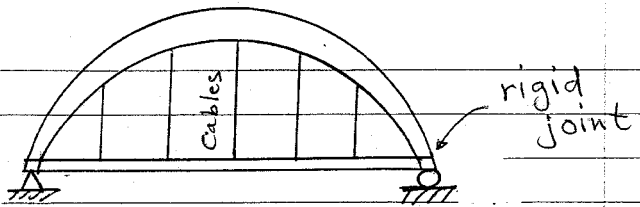
Plane Arch

6



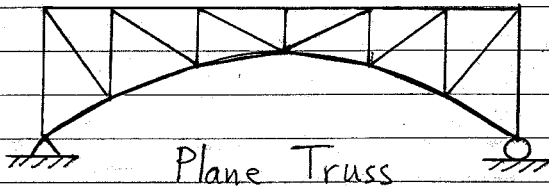
suspended Bridge

7

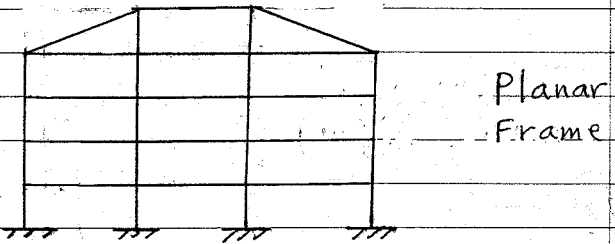


Suspended Bridge

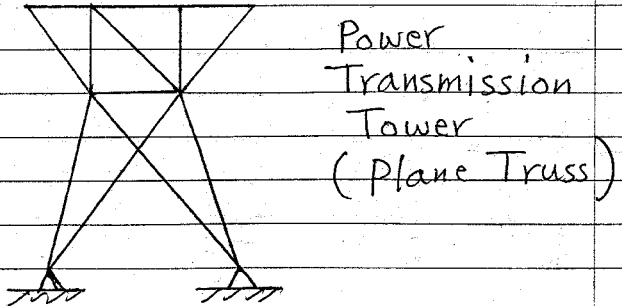
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HW # 3

Obtain a computer program that can perform matrix inversion. Do not write the program. You may copy it, buy it or get it from any source.

Invert the matrix shown below

$$\begin{bmatrix} 1.0 & 0.2000 & 0 & 0 & 0.0450 & -0.0300 & 0 \\ 0.2000 & 1.2000 & 0.4000 & 0 & 0.1200 & -0.0300 & -0.1200 \\ 0 & 0.4000 & 5.6000 & 2.4000 & 0.1200 & 1.4400 & -0.1200 \\ 0 & 0 & 2.4000 & 8.8000 & 0 & 1.4400 & 0.6000 \\ 0.0450 & 0.1200 & 0.1200 & 0 & 0.0285 & 0 & -0.0240 \\ -0.0300 & -0.0300 & 1.4400 & 1.4400 & 0 & 0.5790 & 0 \\ 0 & -0.1200 & -0.1200 & -0.6000 & -0.0240 & 0 & 0.1440 \end{bmatrix}$$

II

$$A = \begin{bmatrix} 9 & 8 & 7 & 6 \\ 0 & -3 & -4 & -5 \\ 7 & 6 & 5 & 4 \\ 1 & 0 & 2 & 0 \end{bmatrix}$$

$$B = \begin{bmatrix} 1 & 4 & 2 & 3 \\ 9 & 8 & 6 & 7 \\ -1 & -2 & 3 & 4 \\ -5 & 6 & -7 & 8 \end{bmatrix}$$

Write computer programs to calculate:

- ①  $C = A + B$
- ②  $E = I * A$
- ③  $H = A * B$
- ④  $D = C^T$

$I$  is the  $4 \times 4$  identity matrix.

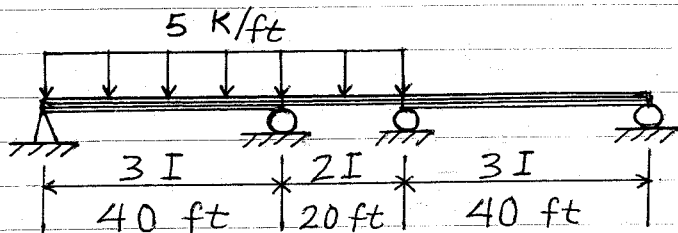
Output all results.

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HW # 4

Using the Flexibility Method  
calculate all reactions.

$E$  and  $I$  are constant.



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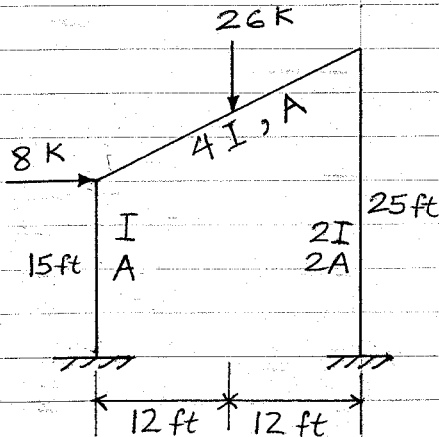
# HW # 5

Calculate all redundant reactions of the frame shown by the Flexibility Method. Take the right support reactions as redundants.

$$I = 0.0217 \text{ ft}^4$$

$$A = 0.1042 \text{ ft}^2$$

$E$  is constant



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HW # 6

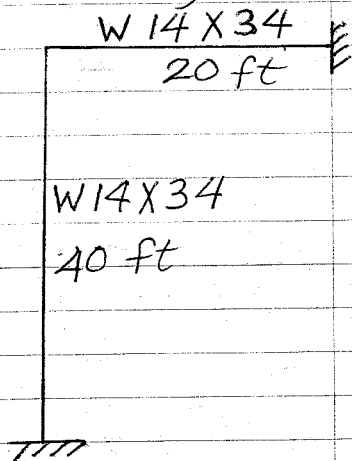
The steel frame shown below was erected when the temperature was  $35^{\circ}\text{F}$ . Calculate all reactions when the temperature becomes  $135^{\circ}\text{F}$  by the Flexibility Method.

$$E = 29 \times 10^6 \text{ PSI}$$

$$\alpha = 6.5 \times 10^{-6} \text{ ft/ft}^{\circ}\text{F}$$

$$I = 340 \text{ IN}^4$$

$$A = 10 \text{ IN}^2$$



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HW # 7

Write a computer program to generate the member stiffness matrix (axial deformation neglected) for a member having constant  $E$

Run a case where  $E = 1 \text{ K/ft}^2$ ,

$L = 10 \text{ ft}$  and  $I = 1 \text{ ft}^4$ .

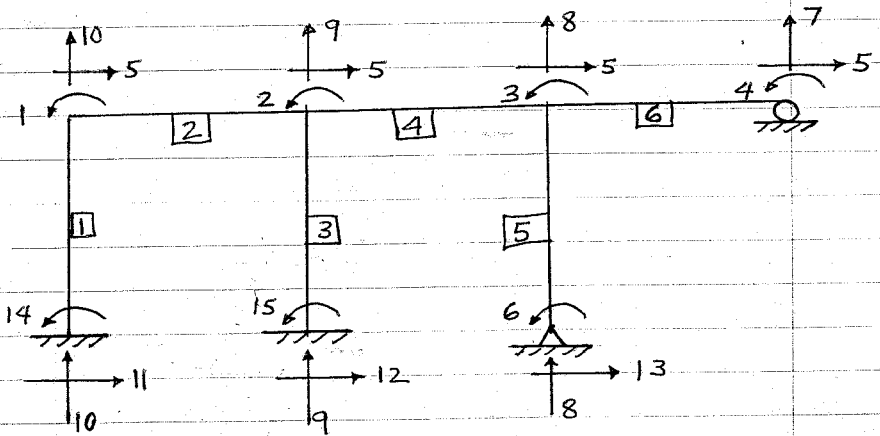
Output all results using the "F" format.

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HW # 8

Write a computer program to generate the total structural stiffness matrix for orthogonal planar frames and beams.

Run the frame shown.



$$L = 10 \text{ ft}, \quad E = 1 \frac{\text{K}}{\text{ft}^2} \text{ and } I = 1 \text{ ft}^4$$

for all members. Output all results.

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HW # 9

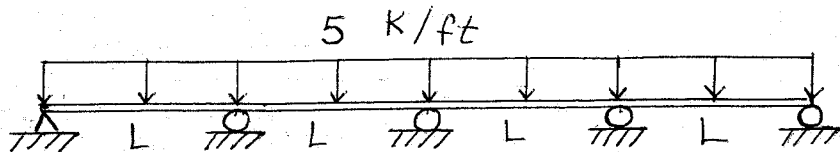
Analyze the beam shown by the stiffness method, i.e. calculate:

- ① All unknown nodal displacements
- ② All reactions
- ③ The shear forces and the moments for all ends of members

$E = 1 \text{ K/ft}^2$  ,  $I = 1 \text{ ft}^4$  and

$L = 10 \text{ ft}$  for all members

Show results on complete and clear drawings.



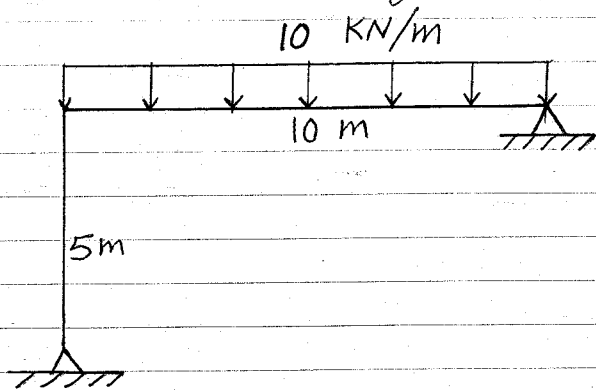


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HW # 10

Analyze the frame shown completely by the stiffness method.  $E$  and  $I$  are constant.

Show all results on complete and clear drawings.



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HW # 11

Solve problem 5-1 in the handouts. Show all results on complete and clear drawings.

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HW # 12

Solve problem 6-23 in the handouts.

Show results on complete and clear drawings.

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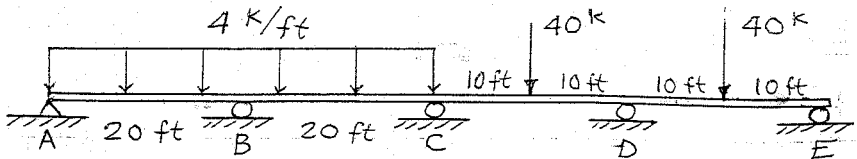
HW # 13

# Computer Program Testing

Using your developed computer program run the problems shown below. Show the following on complete and clear drawings:

- ① All displacements
- ② All final member end actions
- ③ All reactions

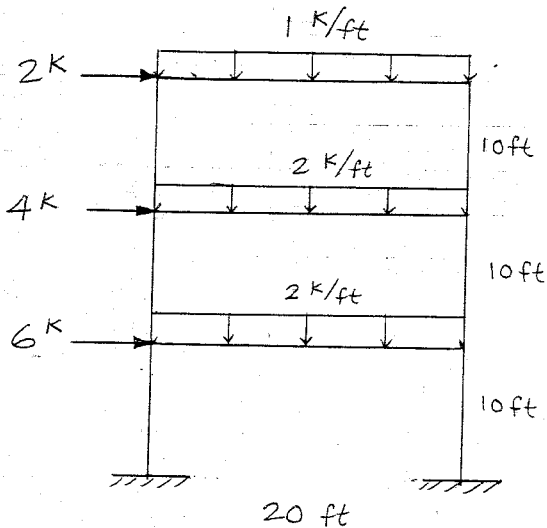
## Problem # 1



The beam is W33 X 118

Supports B, C and D settle 0.5 in each.

## Problem # 2

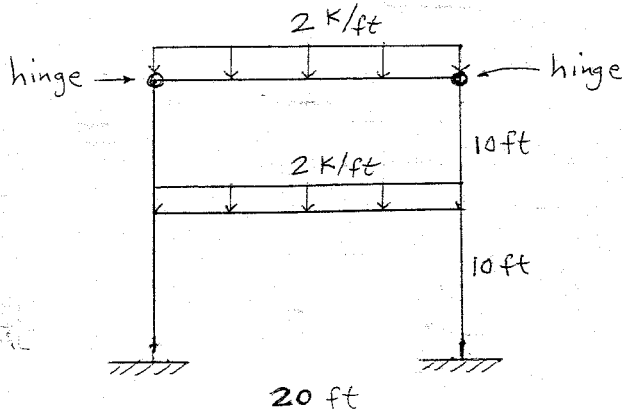


$I = 5000 \text{ in}^4$  for each beam

$I = 3000 \text{ in}^4$  for each column

$E = 30000 \text{ ksi}$  for all

## Problem # 3



$I = 4000 \text{ in}^4$   
for all

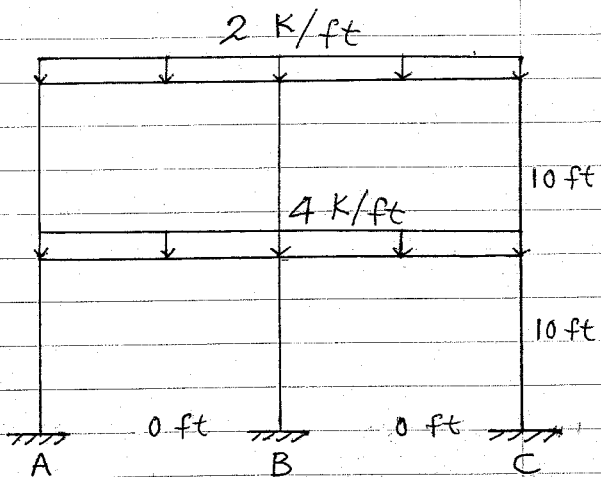
$E = 30000 \text{ ksi}$

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HW # 13

Using your developed computer program run the frame shown.

Draw all final member end actions.



$$I = 288 \text{ IN}^4$$

$$E = 30000 \text{ KSI}$$

Support B settles 2 IN.

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HW # 14

Solve problem 8-2 in the handouts.

Show results on complete and clear drawings.